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MR2185481 (Review)**[Kátaı, Imre](#)** ([H-EOTVO-AG](#))**Square-free values of the Carmichael function. (English summary)***Math. Pannon.* **16** (2005), *no. 2*, 199–203.[11N25](#) ([11N36](#))[Journal](#)[Article](#)[Doc
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References: 0**Reference Citations: 0****Review Citations: 0**

In this short note the author gives a very clever proof of a recent result of F. Pappalardi, I. E. Shparlinski, and the reviewer [*J. Number Theory* **103** (2003), no. 1, 122–131; [MR2008070 \(2004i:11115\)](#)] concerning the density of square-free values of the Carmichael function. Instead of using the well-known Wirsing theorem [E. Wirsing, *Math. Ann.* **143** (1961), 75–102; [MR0131389 \(24 #A1241\)](#)], the author employs a more general theorem of B. V. Levin and A. S. Faınleı̄b [*Uspehi Mat. Nauk* **22** (1967), no. 3 (135), 119–197; [MR0229600 \(37 #5174\)](#)] in order to obtain an asymptotic formula with an explicit error term. The author verifies the applicability of the general theorem to this particular situation by making a simple use of the Siegel-Walfisz theorem.

Reviewed by [Filip Saidak](#)

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